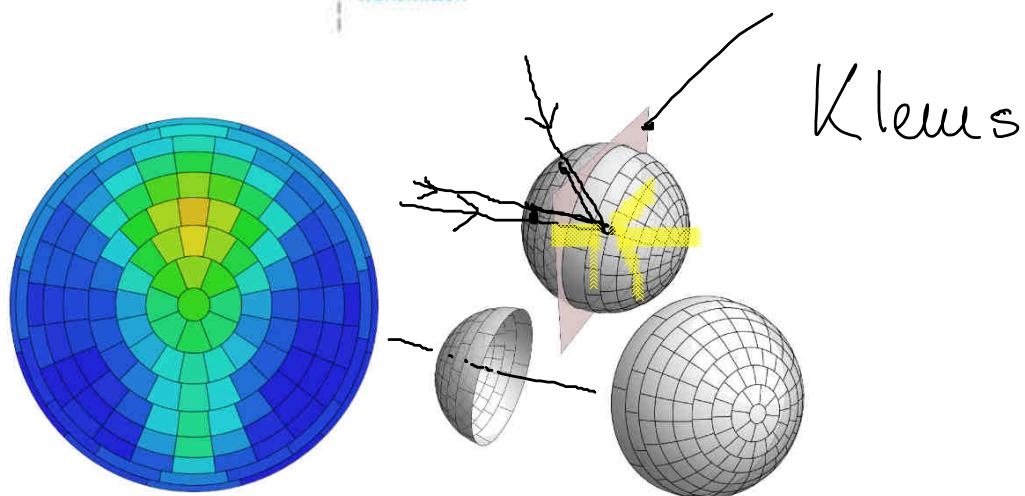
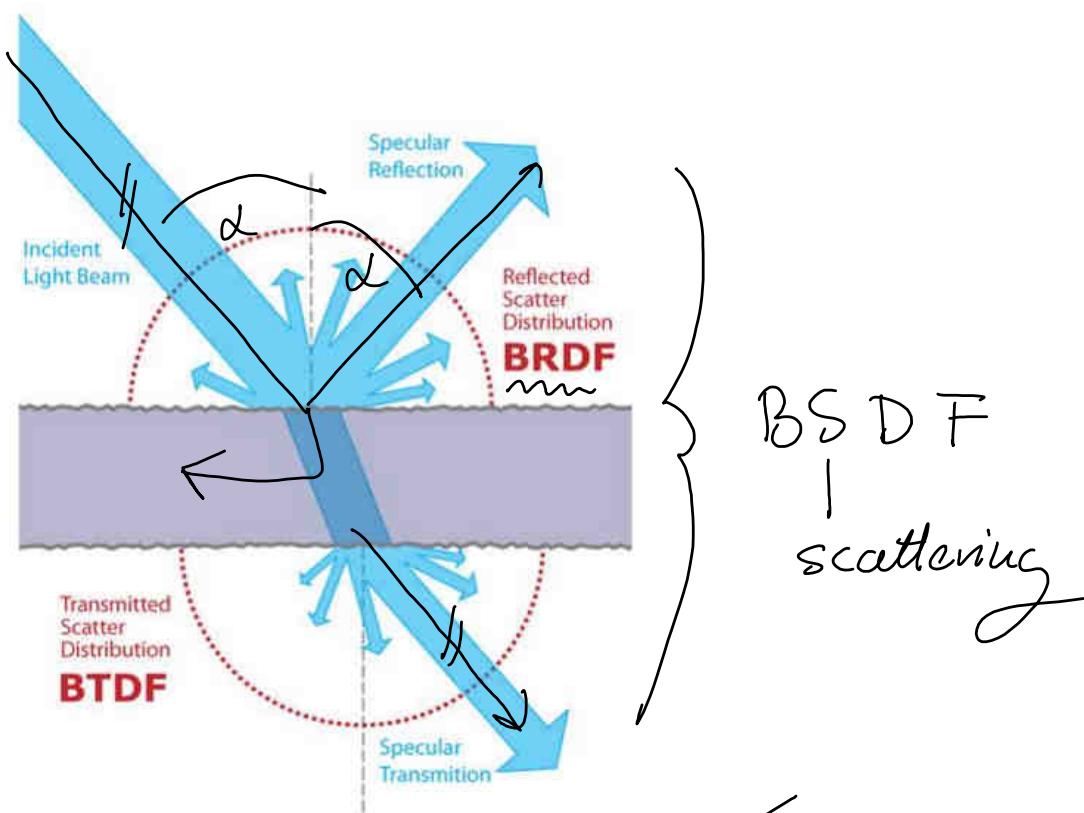


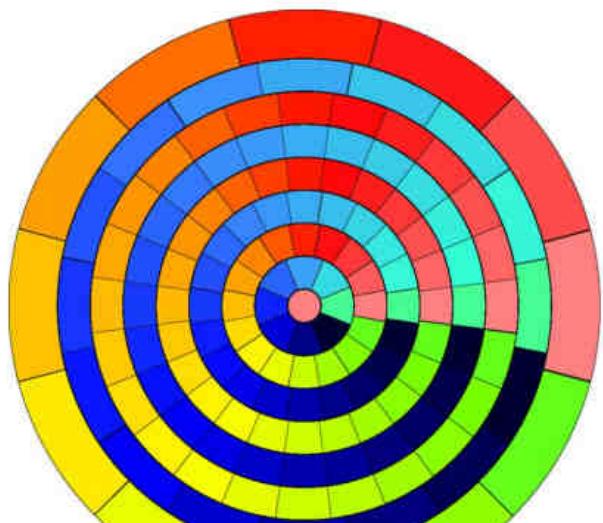
Optikai tulajdonságok

2018. november 15.
14:28



Klem's patches

- subdivision of hemisphere into **145 patches**
- approx. equal illuminance from each patch if luminance is constant in hemisphere
- **9 θ ranges**
 - { 0° - 5° , 5° - 15° , 15° - 25° , 25° - 35° , 35° - 45° , 45° - 55° , 55° - 65° , 65° - 75° , 75° - 90° }
- **4 subdivisions per θ range**



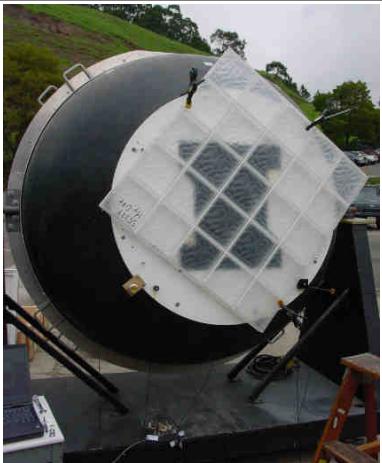
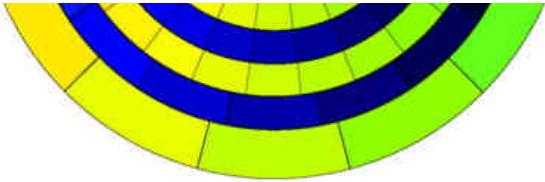
45° - 55° , 55° - 65° , 65° - 75° , 75° - 90°

- ϕ subdivisions per θ range

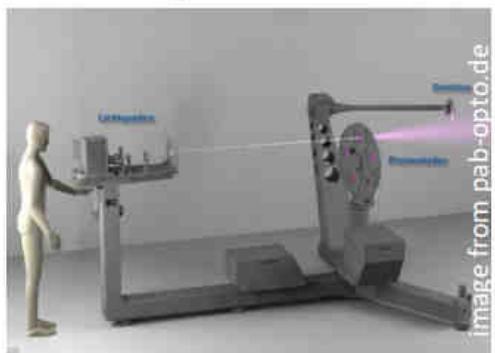
{1, 8, 16, 20, 24, 24, 24, 16, 12}

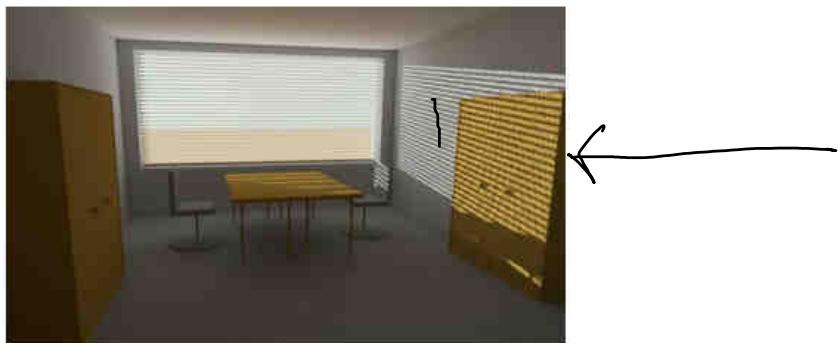
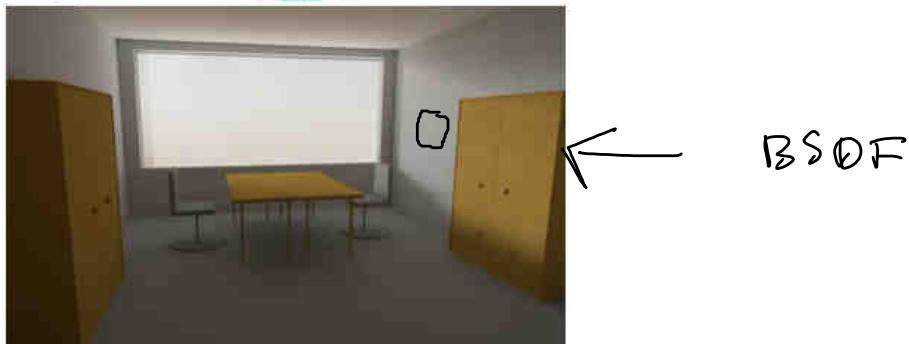
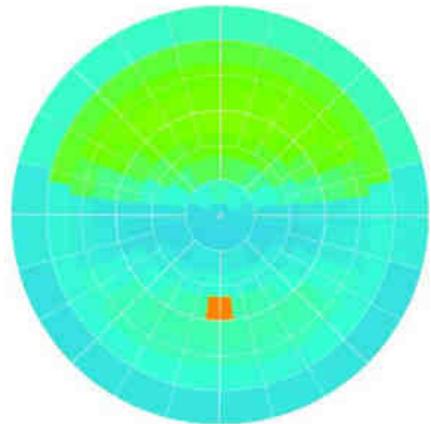
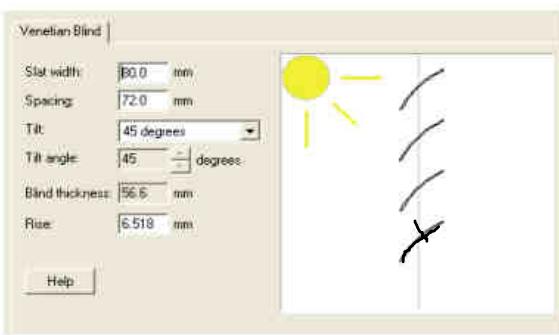
- average solid angle $2\pi/145 = 0.0433 \text{ sr}$,

i.e. cone with $2 \times 6.73^\circ$ apex angle [$2\pi \cdot (1 - \cos(\alpha/2)) = 2\pi/145$]

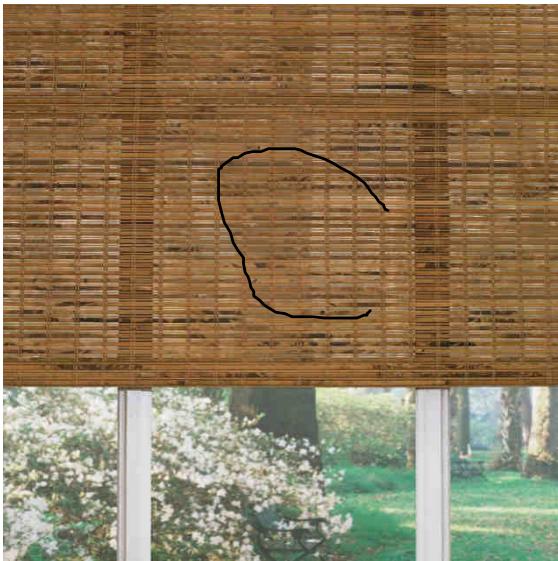


classical goniometers

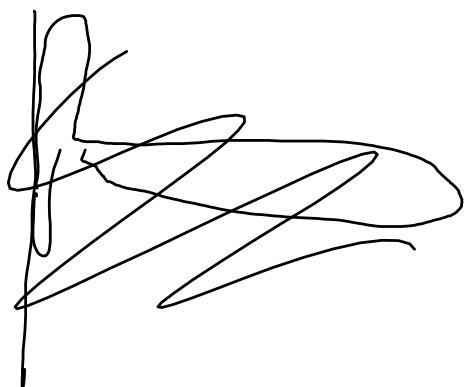
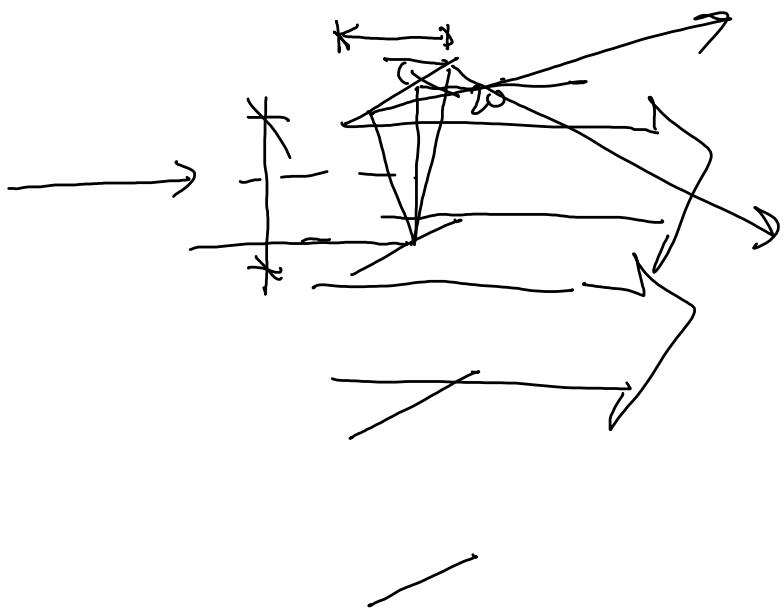
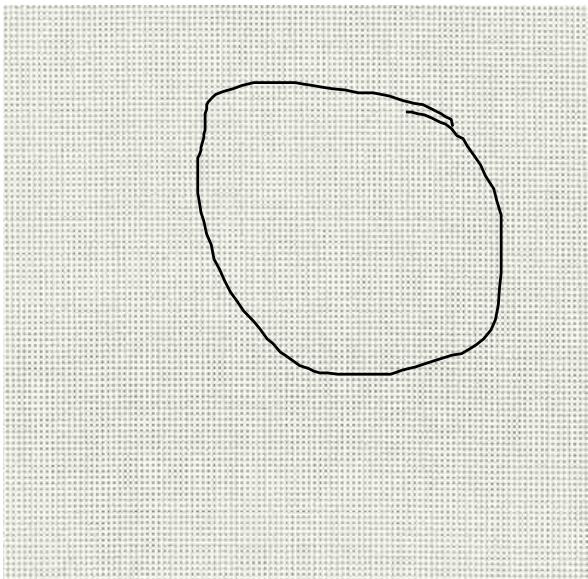


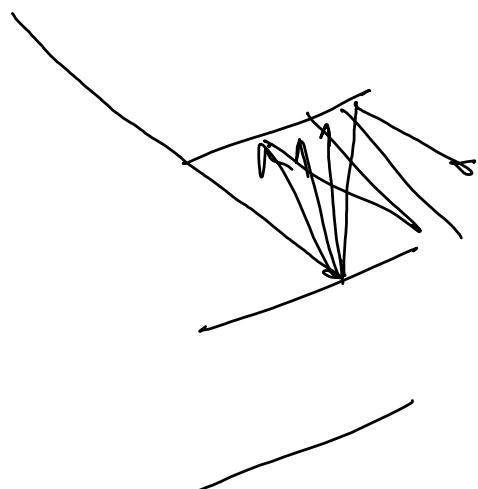


Levalor Origami 2014-SC42.xml



Mermette Natte White 2014-SA24.xml





$$Nu = \frac{\text{konvektív hőátadás}}{\text{kondenzatív } -L} = \frac{h_{\text{conv}}}{h_{\text{cond}}} = \frac{h_{\text{conv}}}{\frac{\lambda}{d}}$$

$$\rightarrow h_{\text{conv}} = Nu \left(\frac{\lambda}{d} \right)$$

Prandtl szám

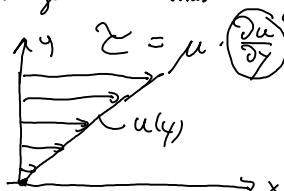
$$Pr = \frac{\text{viszkozitás diffúzió}}{\text{termikus diffúzió}} = \frac{\text{sebesség határeteres utg.}}{\text{termikus } -H} =$$

$$= \frac{\nu}{\alpha} = \frac{\nu}{\frac{\lambda}{g \cdot c_p}} = \frac{\mu}{\frac{\lambda}{g \cdot c_p}} = \boxed{\frac{\mu \cdot g \cdot c_p}{\lambda}} [-]$$

$$\mu - \text{dinamikus viszkozitás } [Pas] [\text{Ns/m}^2]$$

$$\nu - \text{kinematikus viszkozitás } [kg/m \cdot s]$$

Newton-féle viszkozitási többlet:



$$Pr \approx 0.7 - \text{legfölös gázra}$$

7 - víz

1000 - 40000

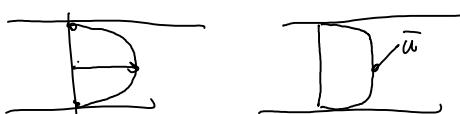
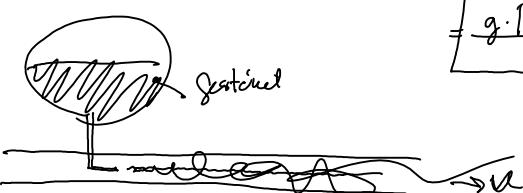
Grashof szám

$$Gr = \frac{\text{felfelére}}{\text{viszkozitási } \rho} = \frac{L^3 (g - g_0) g}{\mu \cdot \frac{L}{\rho} \cdot L^2} = \frac{L^3 \beta g \cdot g_0 \Delta T}{\cancel{\rho} \cancel{L^2} g} =$$

$$Gr \ll 1 \rightarrow \text{stabilitás árceulás } \cancel{\phi} \quad \beta = \frac{1}{T}$$

$$Gr \gg 1 \rightarrow \text{szabadság árceulás}$$

$$= \frac{g \cdot \beta \cdot (T - T_\infty) L^3}{\nu^2}$$

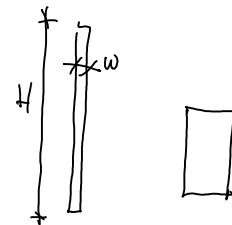
Rayleigh szám

$$Ra = Gr \cdot Pr = \frac{g \cdot g_0^2 \cdot \beta \cdot \Delta T \cdot L^3 \cdot \rho}{\mu \cdot \lambda}$$

$$K_a = G_r \cdot P_r = \frac{g \cdot g^o \cdot \beta \cdot \Delta T \cdot L \cdot c_p}{\mu \cdot \lambda}$$

Karcinság

$$Ar = \frac{H}{W} [-]$$



$$\mathcal{P}_1 = f(\pi_2, \pi_3, \pi_4)$$

$$V_u = f(P_r, G_r, A_r)$$

$$Nu = f(Ra, Ar)$$

Nu - konklúciók : • empirikus lepételek
• kísérlet és vagy statisztikai alapján

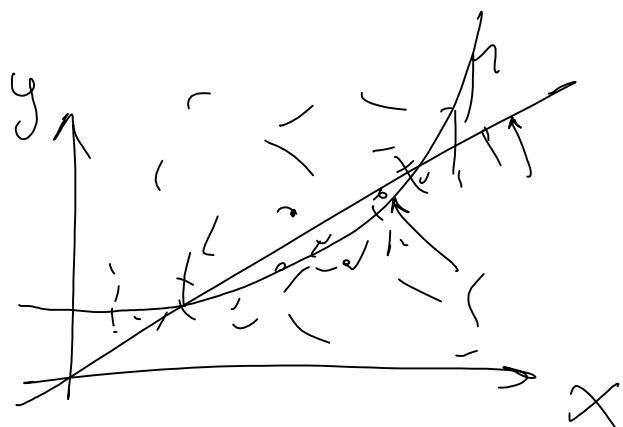
Wright

$$Nu_1 = 0.0605 \cdot Ra^{0.492} \quad Nu_2 = \left[1 + \left(\frac{0.001 \cdot Ra}{1 + \left(\frac{63400}{Ra} \right)^{1/36}} \right)^3 \right]^{1/3}$$

$$V_{\text{eff}} = 0.242 \left(\frac{R_{\text{in}}}{A_{\text{r}}} \right)^{0.272}$$

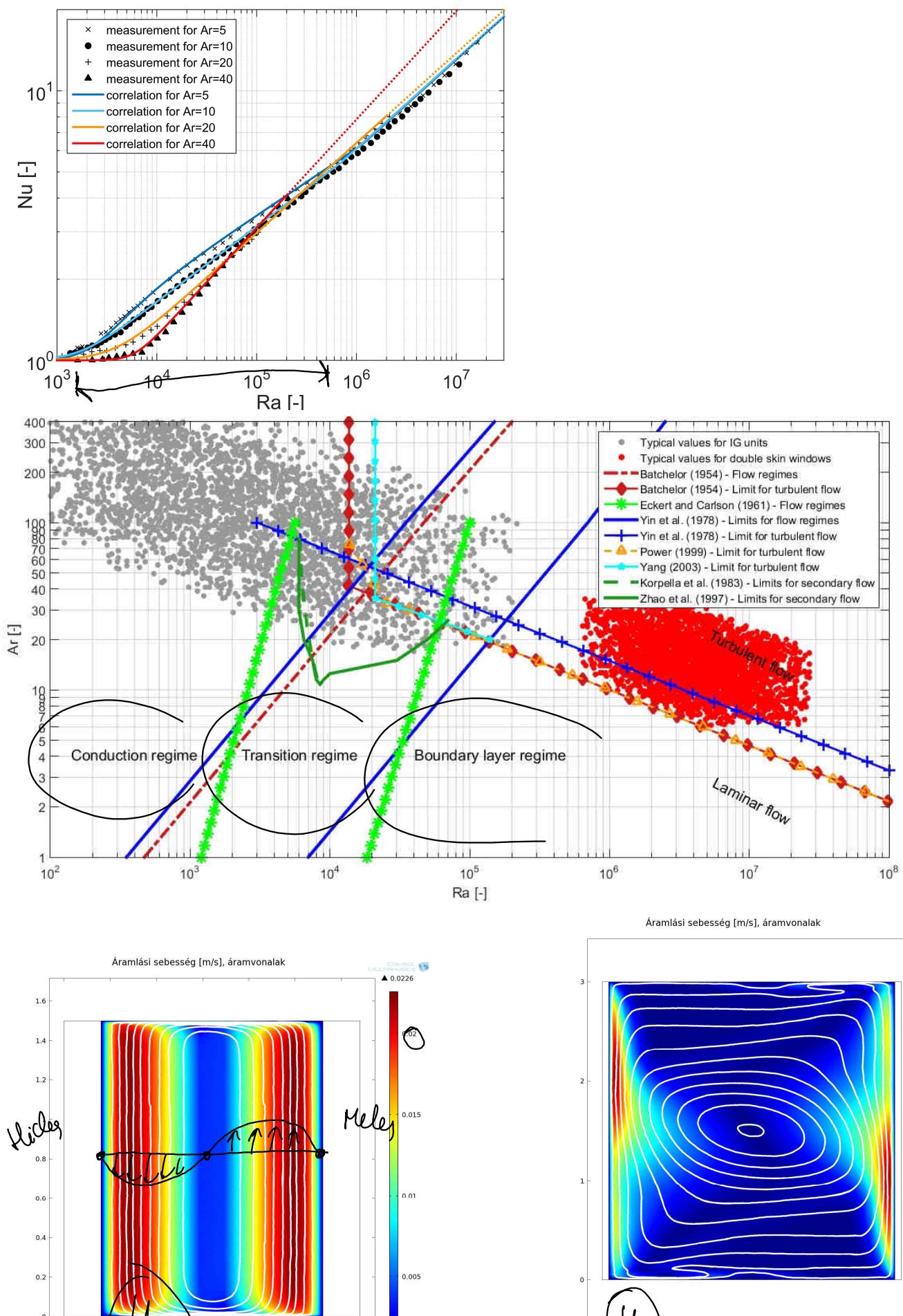
$$Na = \max \left\{ \begin{array}{l} Na_1 \\ Na_2 \\ Na_3 \end{array} \right.$$

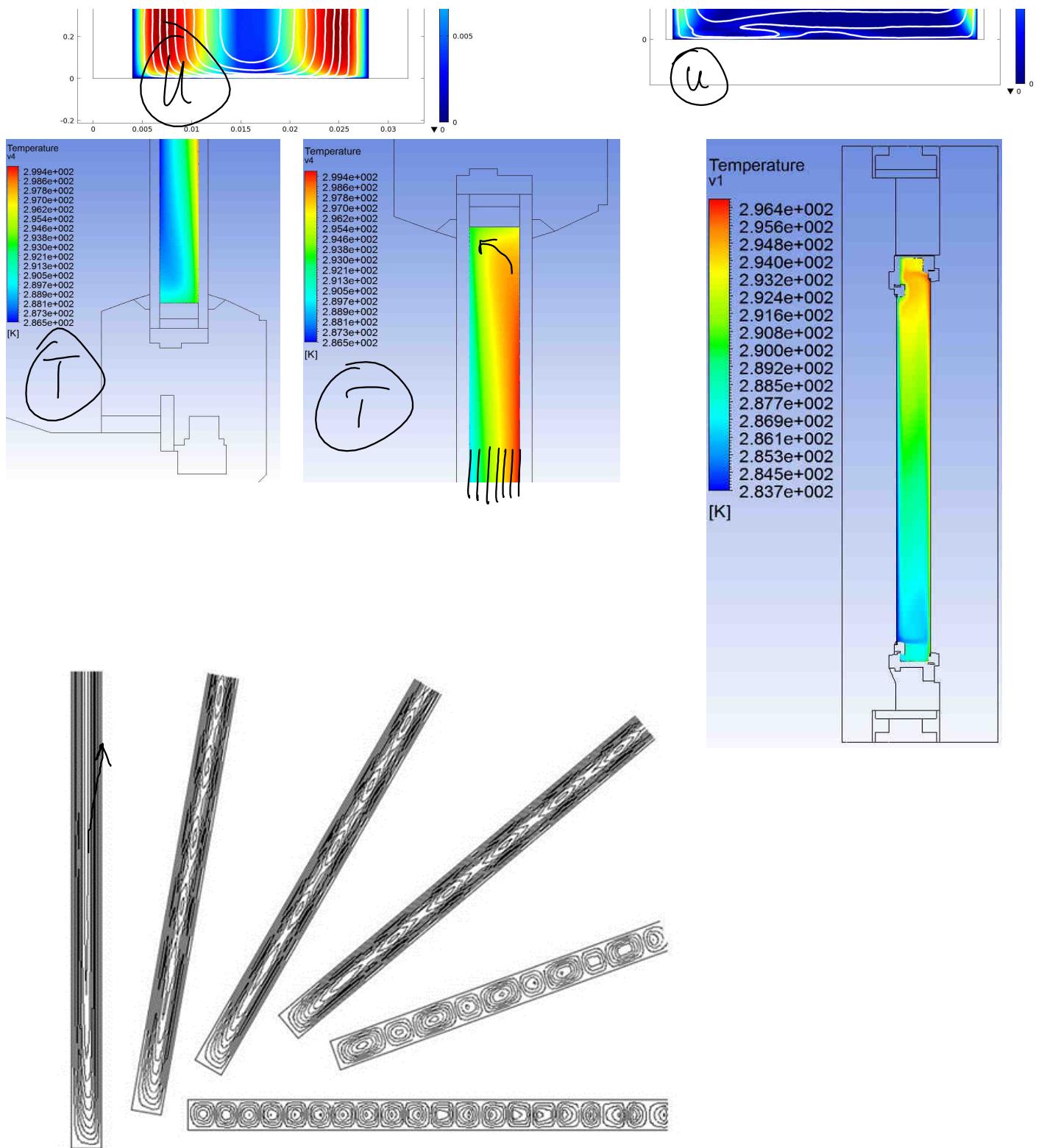
$$h_{\text{conv}} = \text{Out} \cdot \frac{\lambda}{\lambda_w}$$

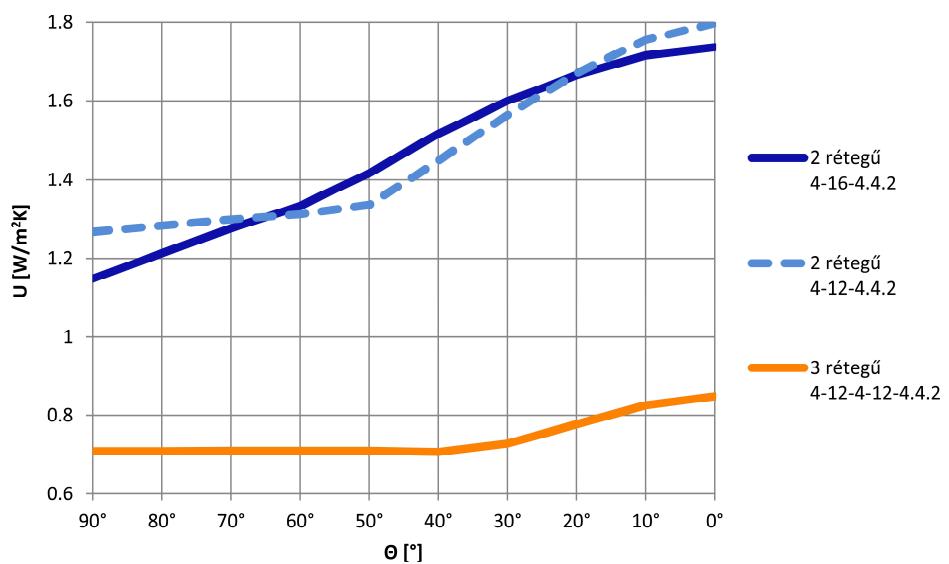


Illusztráció

2018. november 15.
18:19

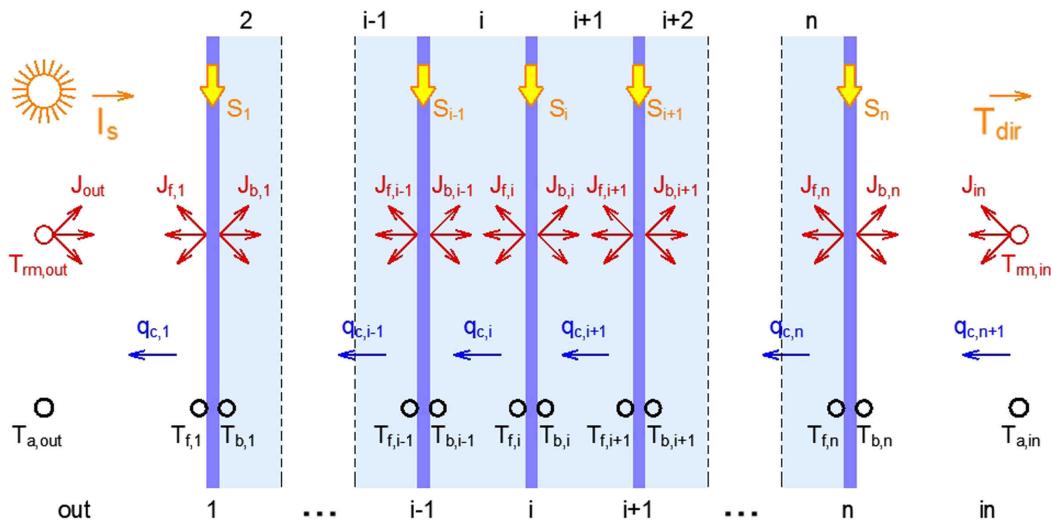






Mérlegegyenletek

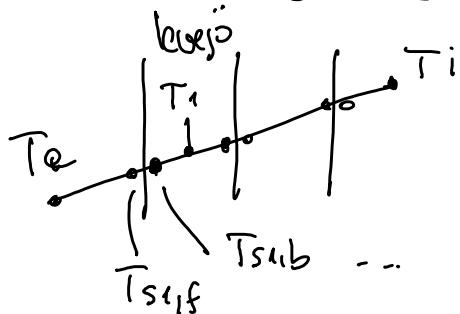
2018. november 15.
18:20



Mit csinál a program?

① Szókar-optikai számítás
 $\rightarrow I_{s,dir}, S_1, S_2, \dots S_n$

② Kezdeti becsles a T elosztáshoz



③ Anyagfelületi viszkozitás
 $\rightarrow \lambda_1, \beta_1, \varphi_1, \dots$

④ Konvektív hőátadás tényező számítása
 $\rightarrow h_{c,1}, h_{c,2}, \dots h_{c,n}$

$\rightarrow h_{c,1}, h_{c,2}, \dots, h_{c,n}$

(5)

eliceletrendster felirás

(6.)

elicelet megoldása $\rightarrow T_{S,1,f}, T_{S,2,b}, \dots$

(7.)

konvergencia ellenőrzés

(8)

THE END : T_S, \dots

$$U_g = q_i / \Delta T = 1 / (R_{se} + \sum R_{gl} + \sum R_{raw} + R_{si})$$

$$\frac{1}{h_e}$$

$$\frac{t_{gl}}{\lambda_{gl}}$$

$$\frac{1}{h_{c+hi}}$$

$$\frac{1}{h_{c+hr}}$$

direkt átbocsátás
 w/m^2

$$\frac{1}{h_{c+hr}}$$

w/m^2

$$g = \frac{I_{thr} + (q_i(I_{sol}) - q_i(I_{sol=0}))}{I_{sol} \propto w/m^2} = [-]$$