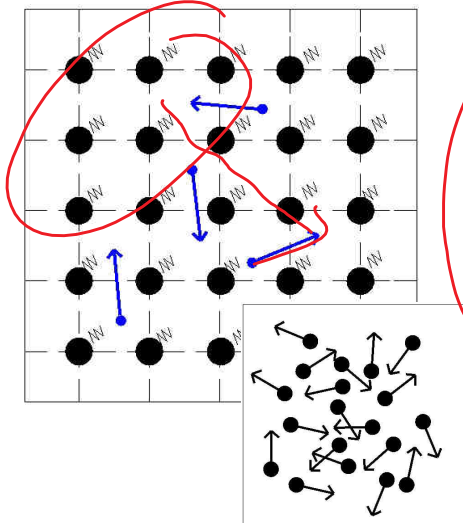
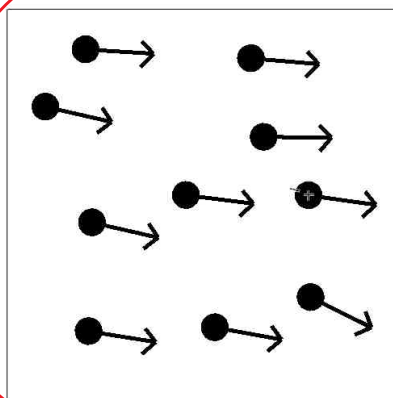


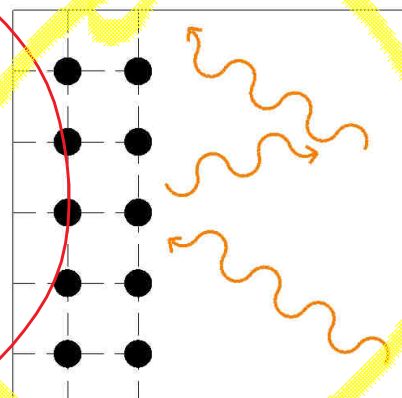
hővezetés



konvekció

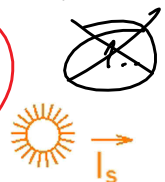


hő sugárz.

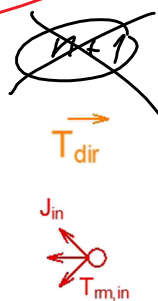


termikus diffúzió

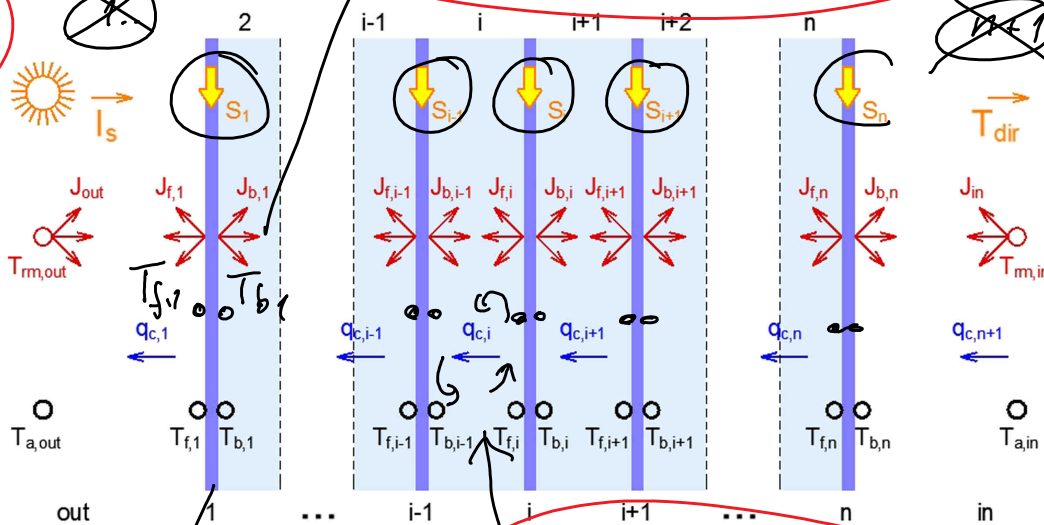
sugárzás
sug.



hosszúhull. infrav. sug.



kinn.



✓ követ. az üvegben

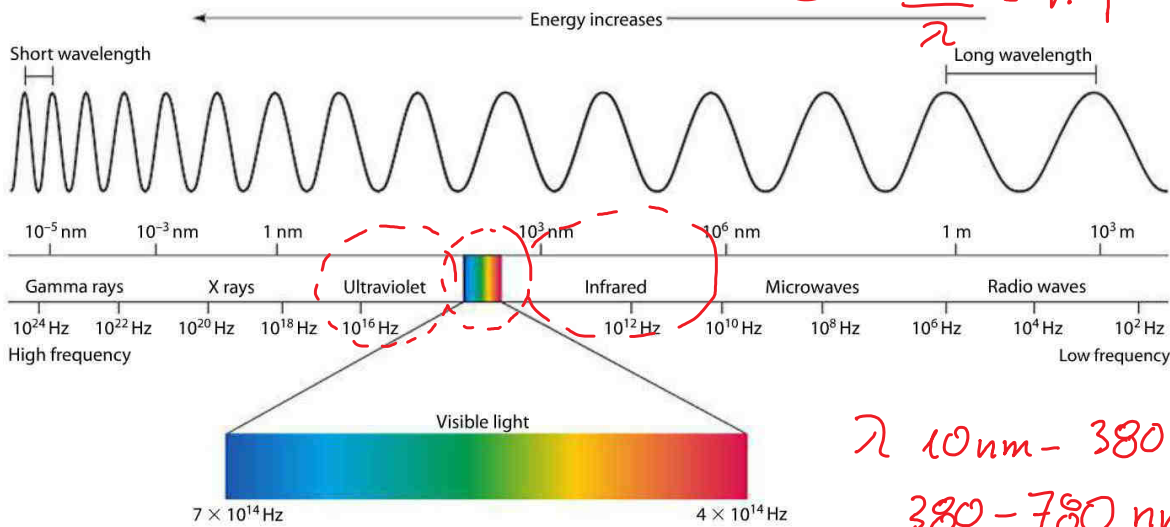
konvektív hőátad.

01 - Elektromágneses sugárzás

2016. október 13.
17:21

$$c = f \cdot \lambda \quad c = 2,99 \cdot 10^8 \text{ [m/s]}$$

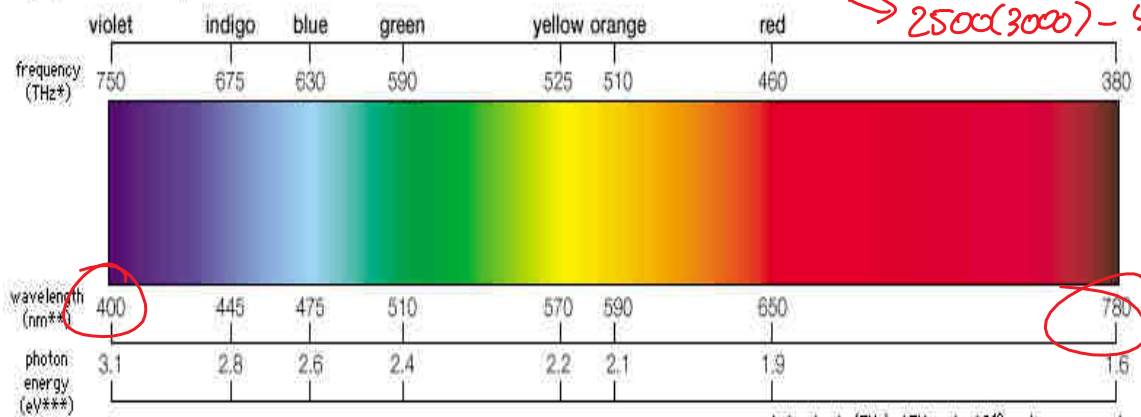
$$E = \frac{h \cdot c}{\lambda} = h \cdot f \quad h = 6,626 \cdot 10^{-34} \text{ [J}\cdot\text{s]}$$



λ
 f

λ 10 nm - 380 (500) nm UV
380 - 780 nm látható
780 - 2500 (3000) nm rövidk.
2500 (3000) - 50000 nm hosszúk. v.

Light, the visible spectrum



* In terahertz (THz); 1 THz = 1 × 10¹² cycles per second.
** In nanometres (nm); 1 nm = 1 × 10⁻⁹ metre.
*** In electron volts (eV).

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ISO 10527:2007 (CIE S 014-1/E:2006)
CIE standard colorimetric observers

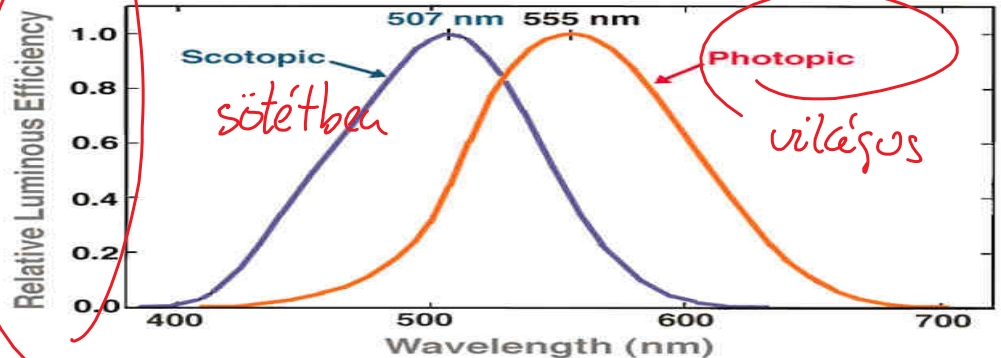
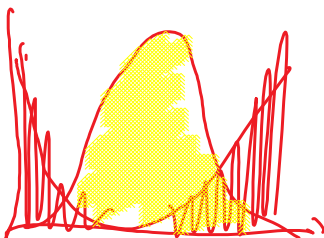


Figure 10. The scotopic and the photopic curves of relative spectral luminous efficiency as specified by the CIE (normalised values).

abszolút fekete test → tökéletes elnyelő
minden hullámhosszon szor. (T)

abszolút fekete test

↳ minden hullámhosszon sug. (T)

Planck törvény

$$\left[\frac{W}{m^3} \right] I_{b,\lambda} = \frac{\pi \cdot 2 \cdot h \cdot c^2}{\lambda^5 \left(e^{h \cdot c / (\lambda k_B \cdot T)} - 1 \right)}$$

c - fényseb. $2.99 \cdot 10^8 \left[\frac{m}{s} \right]$

T - hőmérsék [K]

h - Planck állandó

k_B - Boltzmann állandó

$1.38 \cdot 10^{-23} [J/K]$

λ - hullámhossz [m]

fekete test spektrális sug. képessége
elég nagy felületen elegendő idő alatt kib. energia egy s. hullámhossz tartományban

Stefan - Boltzmann törvény

σ - Stefan Boltzmann állandó

$5.669 \cdot 10^{-8} [W/m^2 K^4]$

$$I_b = \int_0^\infty I_{b,\lambda} d\lambda = \sigma \cdot T^4 = [W/m^2] \quad T [K]$$

Wien fele eltolódási törvény

$$\lambda_{max} \cdot T = 2898 [\mu m K]$$

sűrűség test

$$\frac{I_g(\lambda)}{I} = \varepsilon(\lambda) < 1$$

$$\varepsilon = \frac{\int_{\lambda_1}^{\lambda_2} \varepsilon(\lambda) d\lambda}{\int_{\lambda_1}^{\lambda_2} I(\lambda) d\lambda}$$

$$\frac{I_{\lambda}}{I_b(\lambda)} = \varepsilon(\lambda) < 1$$

↑
elvezelő maximum

$$\varepsilon = \frac{\int_0^\infty \varepsilon(\lambda) I_b(\lambda) d\lambda}{\int_0^\infty I_b(\lambda) d\lambda}$$

$$\Rightarrow I_g = \varepsilon \cdot I_b = \varepsilon \cdot \sigma \cdot T^4$$

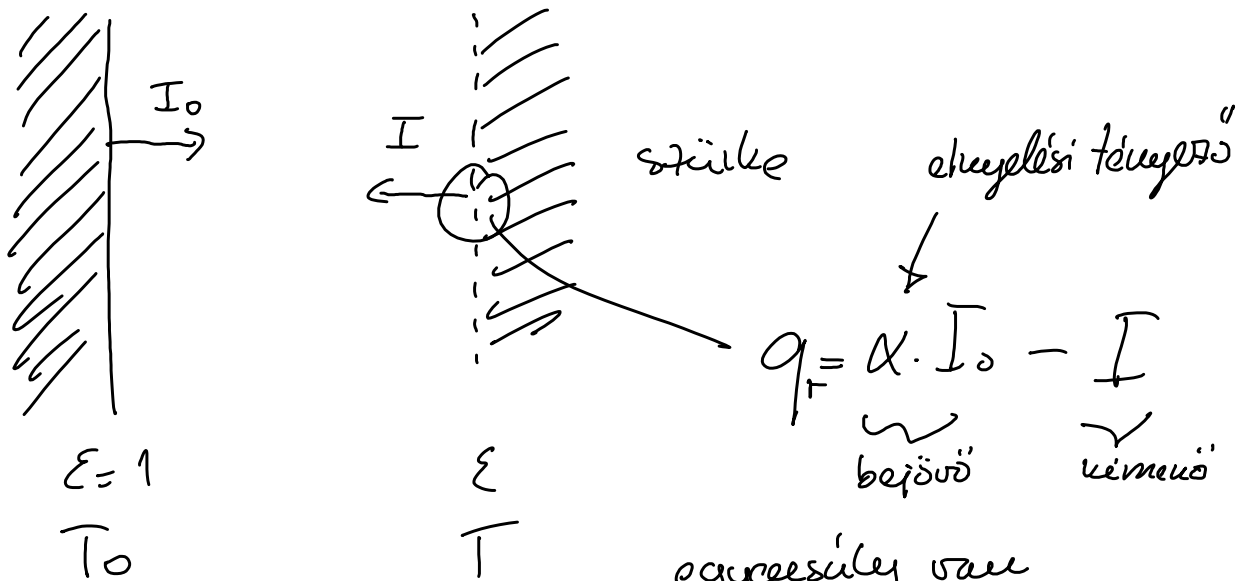
hosszshullámú
emissziós tényező

$$\varepsilon \approx 0.9 \dots 0.99$$

$$\varepsilon_{\text{low-e}} = 0.1 \dots 0.035 \dots$$

$$\varepsilon_{\text{float üveg}} = 0.837$$

$$\varepsilon_{\text{fenés}} = 0.1 - 0.2$$



egyensúly van

$$q_r = 0 \quad T_0 = T$$

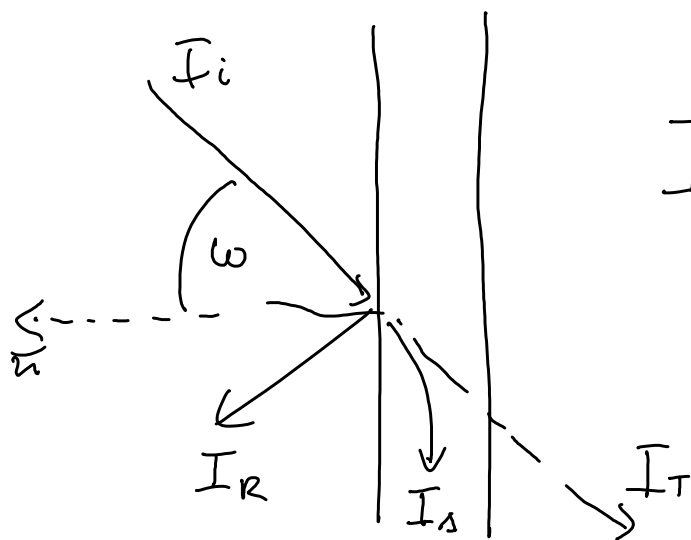
$$q_r = \phi \quad 10 = 1$$

$$\rightarrow \alpha \cdot I_0 - I = 0$$

$$\alpha \cdot \underbrace{\epsilon \cdot T_0^s} - \epsilon \cdot \underbrace{\sigma T_0^s} = \phi$$

$$\rightarrow \boxed{\alpha = \epsilon}$$

Kirchhoff törvénye



$$I_i = I_T + I_R + I_A \quad (/I_i)$$

$$1 = \frac{I_T}{I_i} + \frac{I_R}{I_i} + \frac{I_A}{I_i}$$

$$T + R + A = 1$$

↑
transmissziós t_i

↑
reflexiós t_i

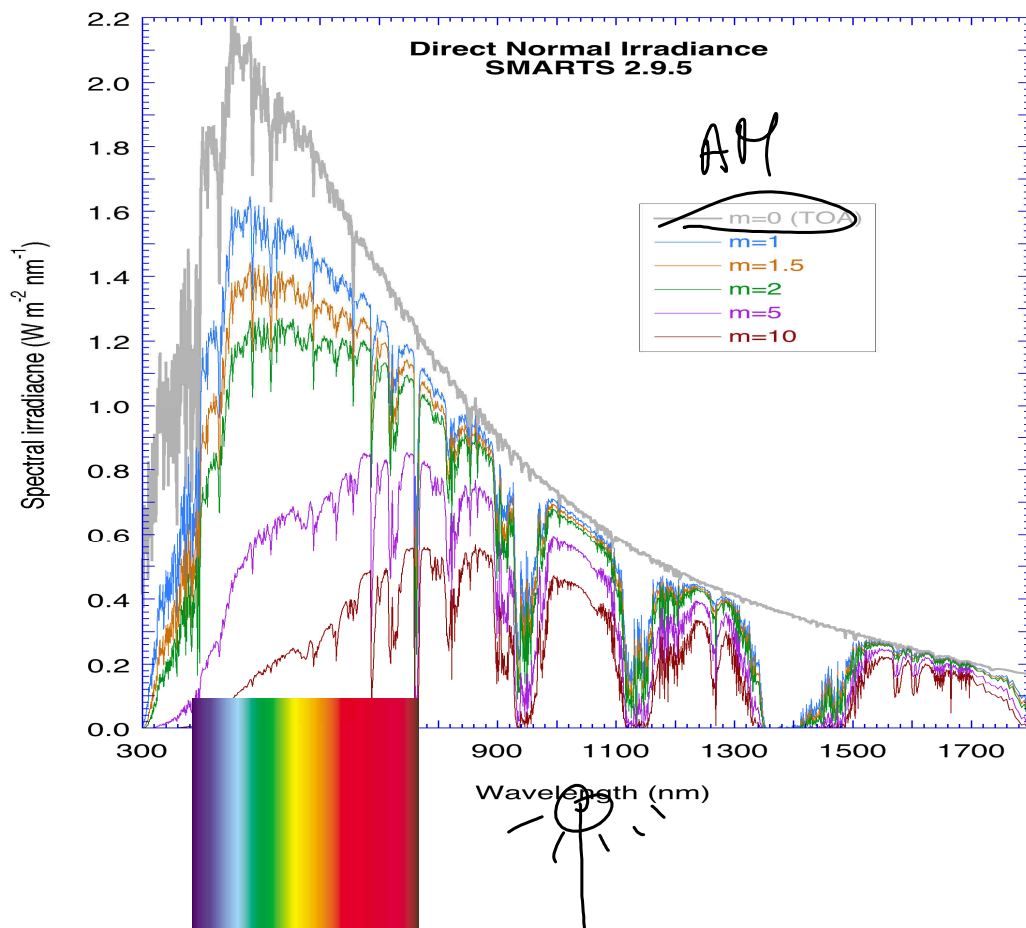
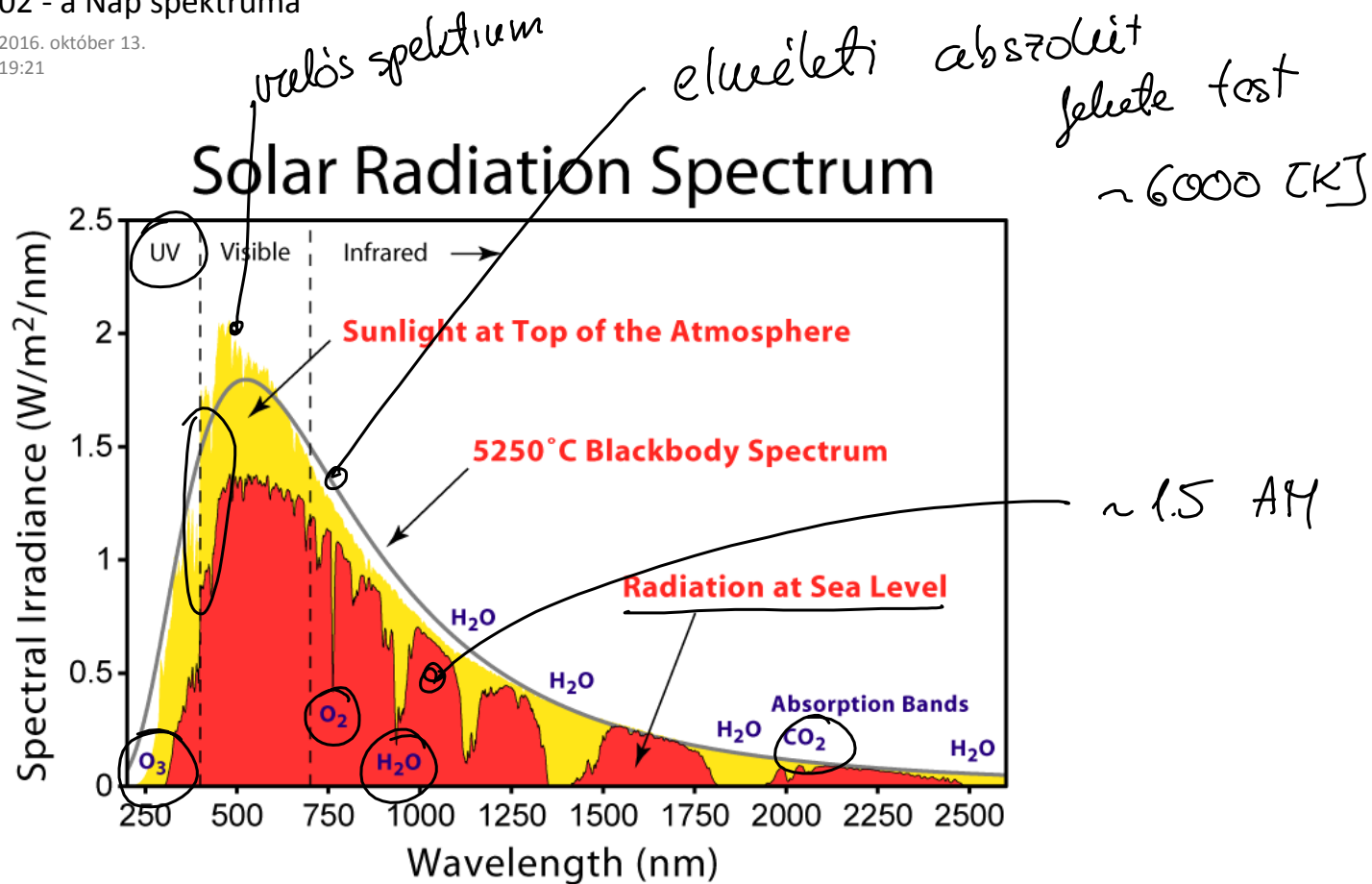
↑
abszorpciós t_i

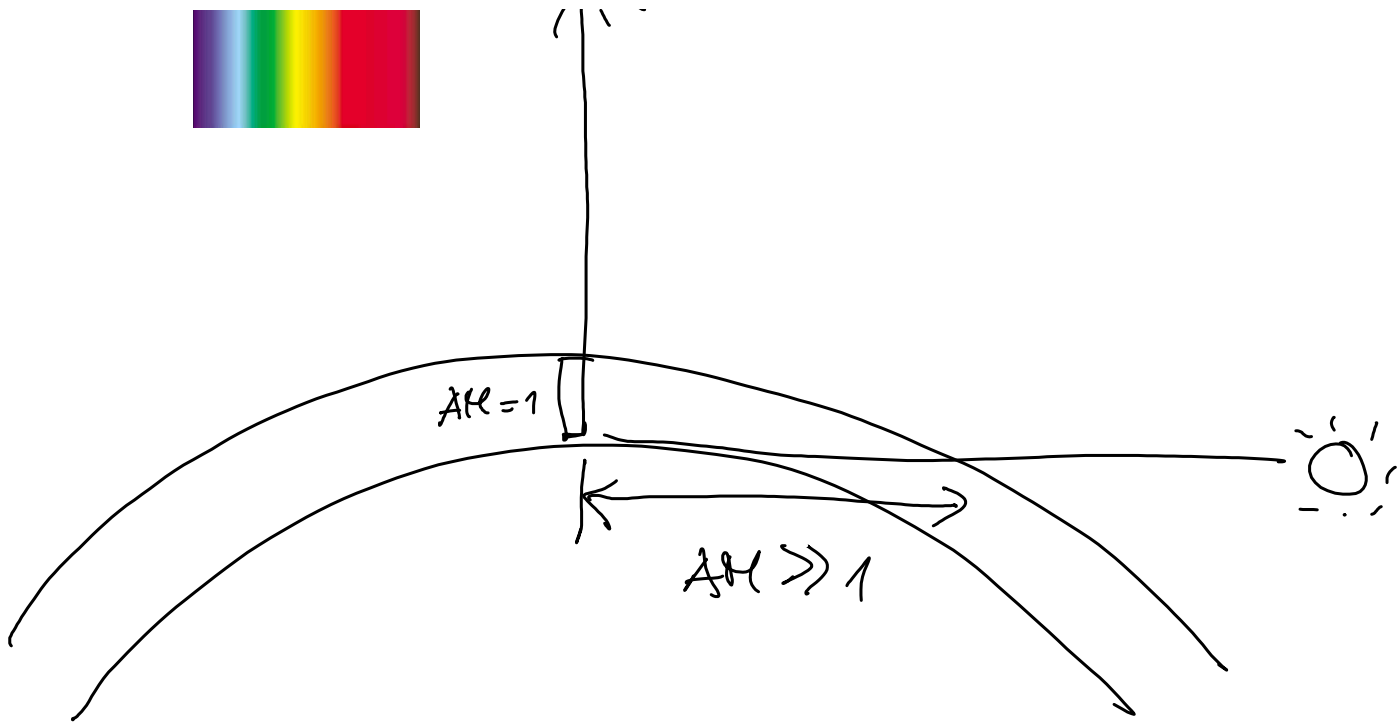
$$T(\omega, \lambda) + R(\omega, \lambda) + A(\omega, \lambda) = 1$$

ϕ

02 - a Nap spektruma

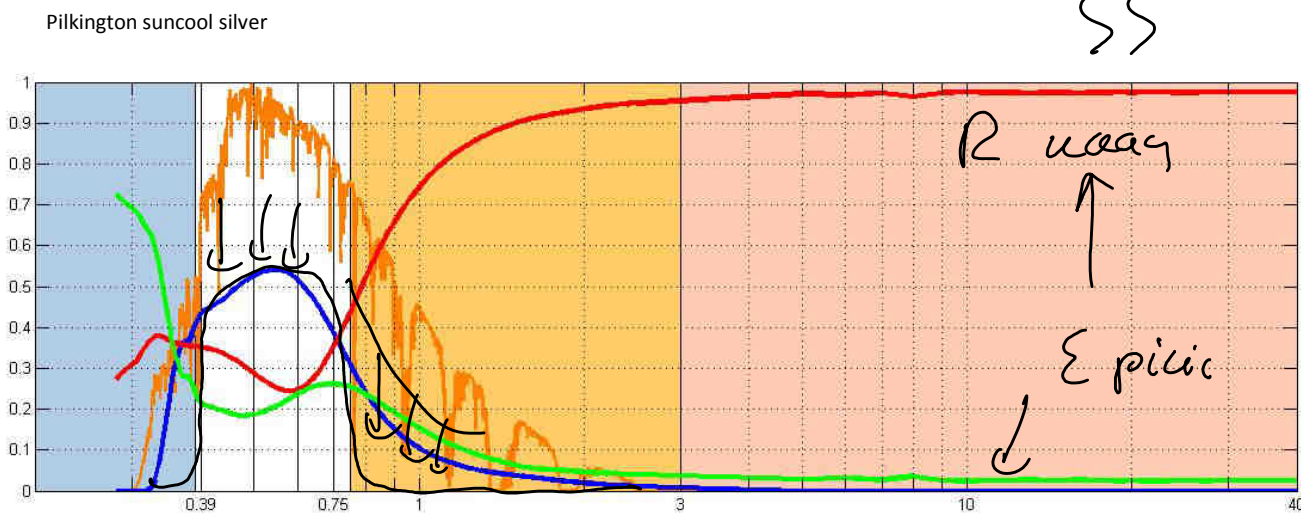
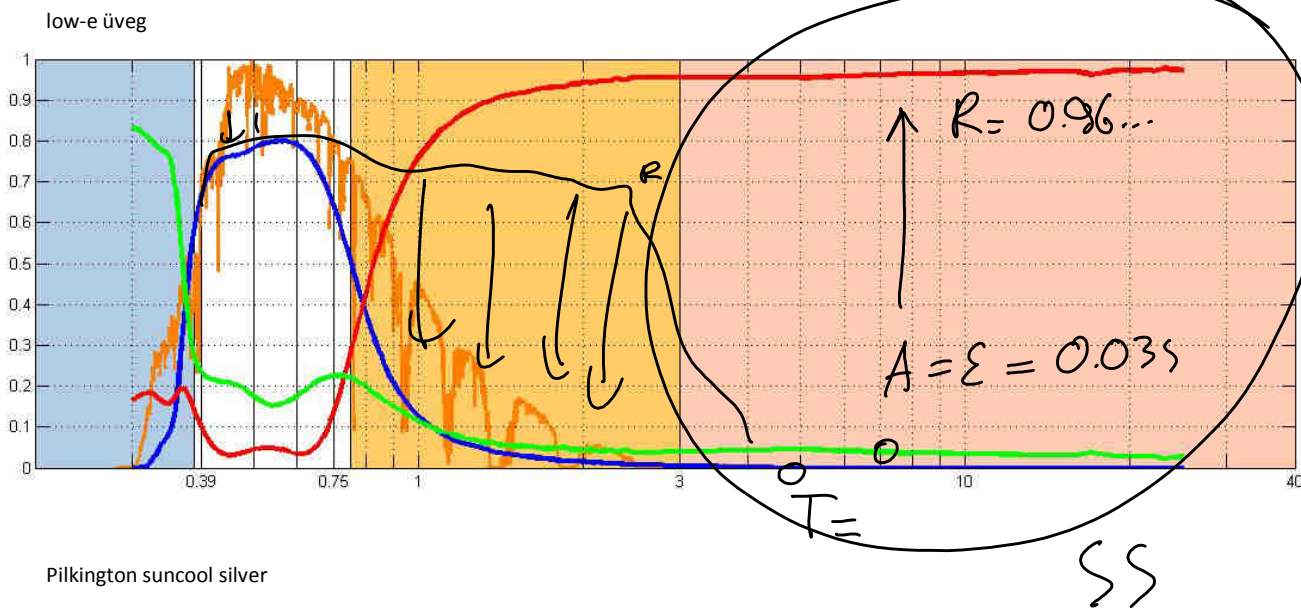
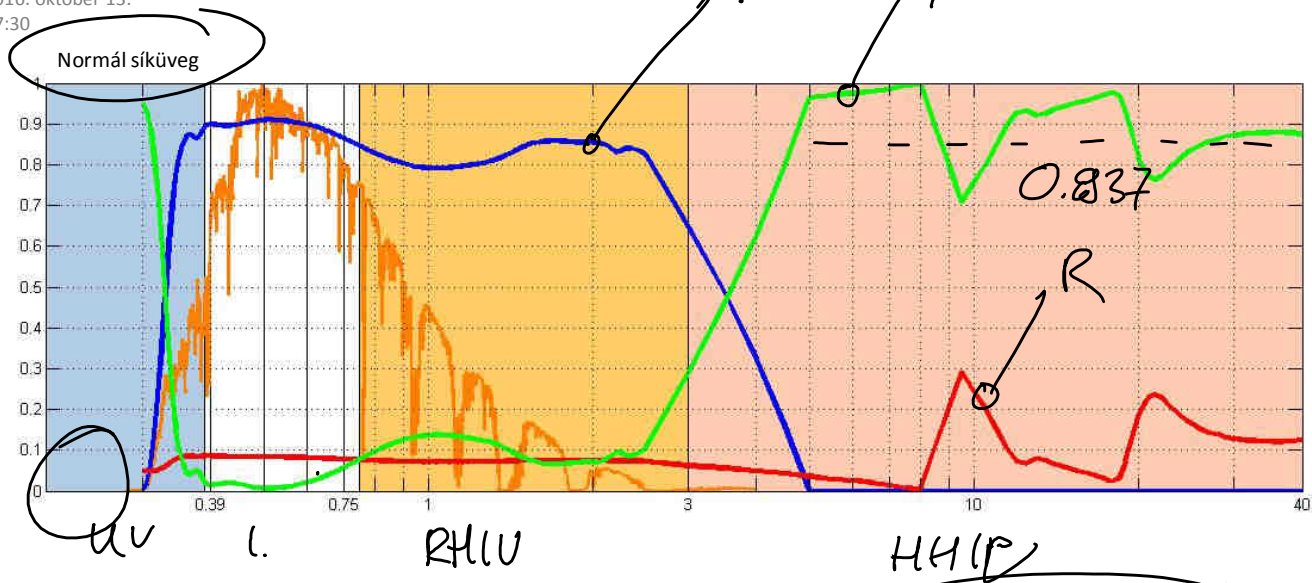
2016. október 13.
19:21

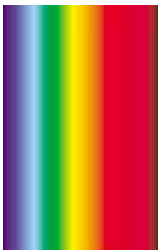




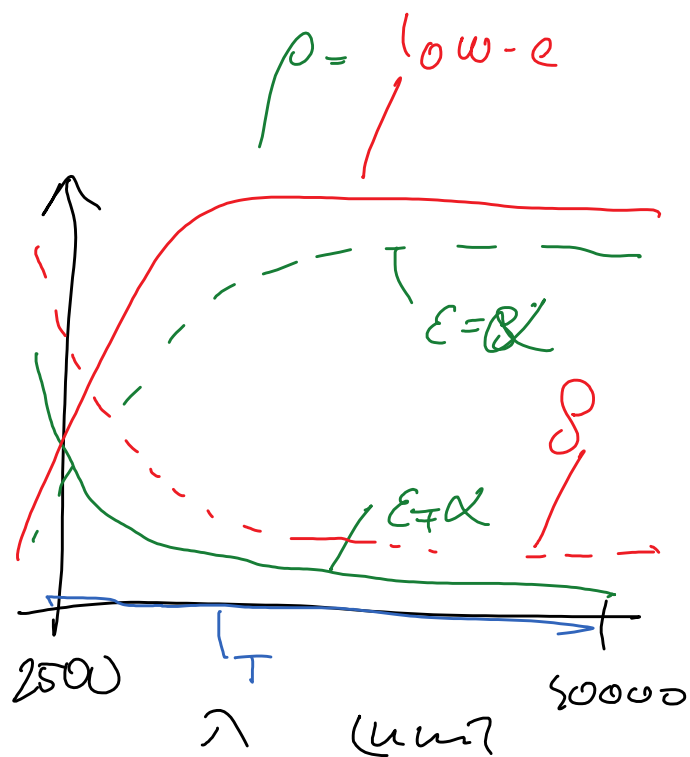
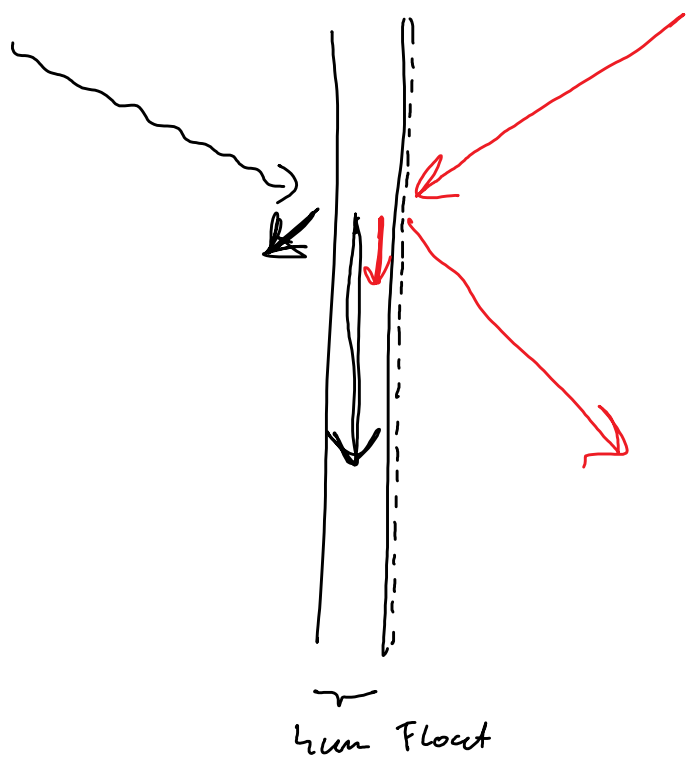
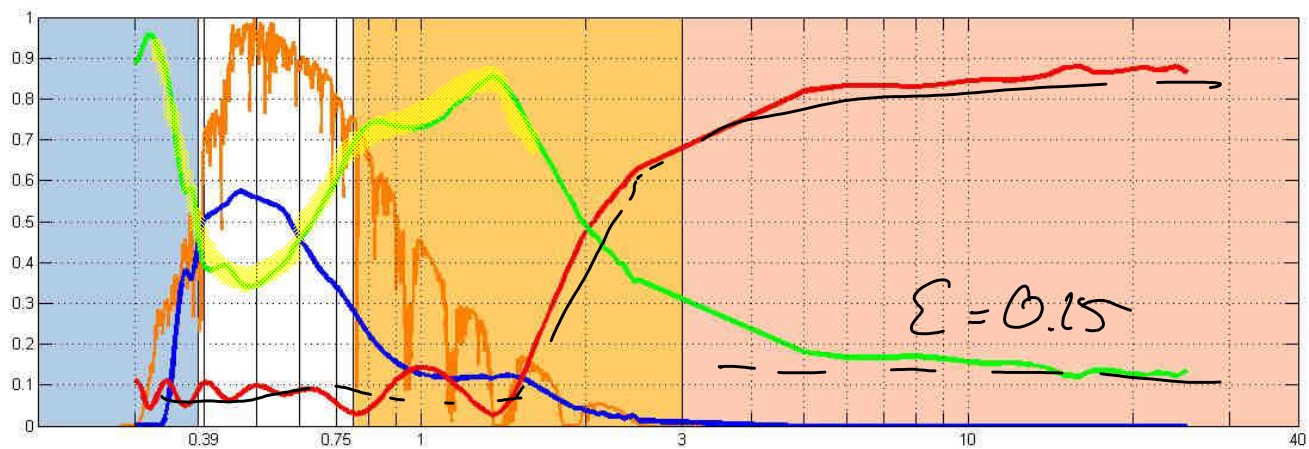
03 - Építési üvegek spektrális tulajdonságai

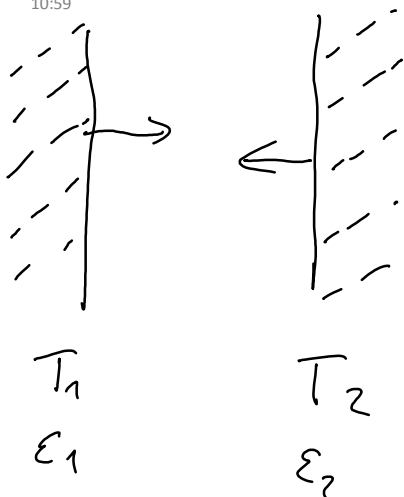
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17:30





Abszorpciós hővédő üveg



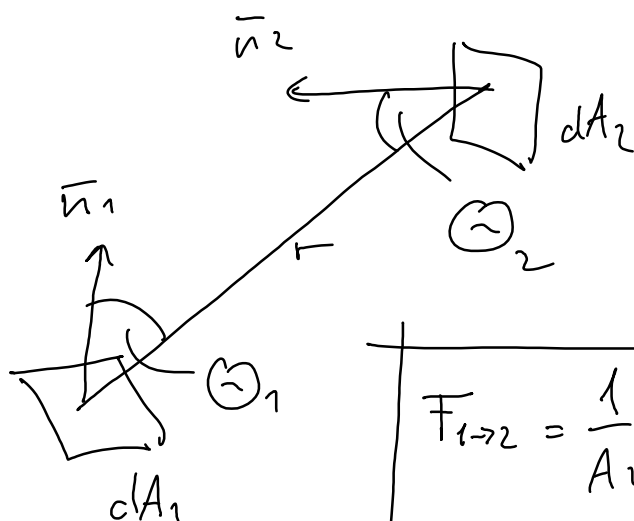


$$\dot{q} = ? =$$

$$= \epsilon_{12} \sigma \cdot (T_1^4 - T_2^4)$$

↑
reduktált felületességi faktor
v. kölcsönös emissziós tényező

$$\epsilon_{1-2} = \frac{1}{\frac{1}{\epsilon_1} + \frac{1}{\epsilon_2} - 1}$$



$$F_{1 \rightarrow 2} = \frac{1}{A_1} \int \int \frac{\cos \theta_1 \cos \theta_2}{\pi r^2} dA_2 dA_1$$

$$q_{1 \rightarrow 2} = \frac{\sigma (T_1^4 - T_2^4)}{\frac{1 - \epsilon_1}{A_1 \epsilon_1} + \frac{1}{A_1 F_{1 \rightarrow 2}} + \frac{1 - \epsilon_2}{A_2 \epsilon_2}}$$

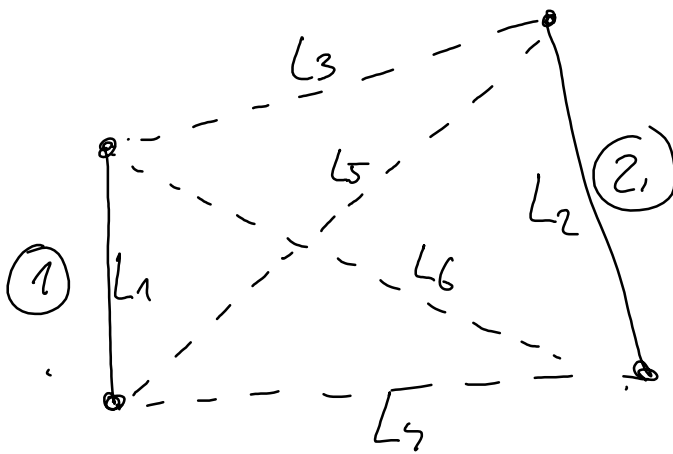
$$F_{1 \rightarrow 2} A_1 = F_{2 \rightarrow 1} A_2$$

$$\sum_{i=1}^n F_{1 \rightarrow i} = 1$$

→

$$F_{1 \rightarrow 2} = (\text{crossed strings}) - (\text{uncrossed strings})$$

$$\sum_{i=1} F_{1 \rightarrow i} = 1$$



$$F_{1 \rightarrow 2} = \frac{(\text{crossed strings}) - (\text{uncrossed strings})}{2 \cdot L_1}$$

$$F_{1 \rightarrow 2} = \frac{(L_5 + L_6) - (L_3 + L_4)}{2 \cdot L_1}$$

$$\textcircled{1} T_{\text{HRT}} = \varepsilon_1 F_1 T_1^4 + \varepsilon_2 F_2 T_2^4 + \dots + \varepsilon_n F_n T_n^4$$

$$\textcircled{2} T_{\text{HRT}} \approx F_1 T_1^4 + F_2 T_2^4 + \dots + F_n T_n^4$$

$$\textcircled{3} T_{\text{HRT}} \approx \frac{T_1^4 A_1 + T_2^4 A_2 + \dots + T_n^4 A_n}{\Sigma A}$$

$$\textcircled{4} T_{\text{HRT}} \approx \frac{T_1 A_1 + T_2 A_2 + \dots + T_n A_n}{\Sigma A}$$

ha ΔT kicsi

$$q_r = \varepsilon_{12} \underbrace{\int}_{\text{felületen}} (T_f^4 - T_{\text{HRT}}^4)$$

$$(T_1^4 - T_2^4) = (T_1 + T_2)(T_1^2 + T_2^2)(T_1 - T_2) =$$

$$\approx 4 T^3 (T_1 - T_2)$$

$$(11 - 12) = (11 + 12) / (11 + 12) / (11 - 12) =$$

$$\approx 4 \cdot T_{\text{nom}}^3 (T_1 - T_2)$$

$$T_{\text{nom}} \approx \frac{T_1 + T_2}{2}$$

$$q = \sigma \cdot \epsilon (T_1^4 - T_2^4) = \underbrace{4\epsilon\sigma T_m^3}_{h_r} (T_1 - T_2)$$

$$h_{r(i)} (T_1 - T_2)$$